

```
(%i1) /* define special summation function */
f(i,j) := sum(R[i,j,sigma,0]*gContr[i,sigma]*gContr[j,0],sigma,0,3)
      + sum(R[i,j,sigma,1]*gContr[i,sigma]*gContr[j,1],sigma,0,3)
      + sum(R[i,j,sigma,2]*gContr[i,sigma]*gContr[j,2],sigma,0,3)
      + sum(R[i,j,sigma,3]*gContr[i,sigma]*gContr[j,3],sigma,0,3);

(%o1) f(i, j) := sum(Ri, j, σ, 0 gContri, σ gContrj, 0, σ, 0, 3) +
sum(Ri, j, σ, 1 gContri, σ gContrj, 1, σ, 0, 3) +
sum(Ri, j, σ, 2 gContri, σ gContrj, 2, σ, 0, 3) +
sum(Ri, j, σ, 3 gContri, σ gContrj, 3, σ, 0, 3)

(%i2) /* define coordinate vector */
array(x, 3);
[x[0],x[1],x[2],x[3]]: [t, x1, x2, x3];

(%o2) x

(%o3) [ t , x1 , x2 , x3 ]

(%i4) /* g1 is symm. metric with indices 1...4 */
g1: matrix(
[-1,0,0,0],
[0,(cosh(3*t/a-1))^(2/3),0,0],
[0,0,(cosh(3*t/a-1))^(2/3),0],
[0,0,0,(cosh(3*t/a-1))^(2/3)])
;

(%o4) 
$$\begin{bmatrix} -1 & 0 & 0 & 0 \\ 0 & \cosh\left(\frac{3t}{a}-1\right)^{2/3} & 0 & 0 \\ 0 & 0 & \cosh\left(\frac{3t}{a}-1\right)^{2/3} & 0 \\ 0 & 0 & 0 & \cosh\left(\frac{3t}{a}-1\right)^{2/3} \end{bmatrix}$$


(%i5) /* contravariant g is inverse of g */
gContr1: ratsimp(invert(g1));
```

$$(\%o5) \begin{bmatrix} -1 & 0 & 0 & 0 \\ 0 & \frac{1}{\cosh^{\frac{2}{3}}\left(\frac{3t-a}{a}\right)} & 0 & 0 \\ 0 & 0 & \frac{1}{\cosh^{\frac{2}{3}}\left(\frac{3t-a}{a}\right)} & 0 \\ 0 & 0 & 0 & \frac{1}{\cosh^{\frac{2}{3}}\left(\frac{3t-a}{a}\right)} \end{bmatrix}$$

(%i6)

```
/* g1 and gContr1 are transformed to g and gContr (indices 0...3) */
for mu:0 thru 3 do {
for nu:0 thru 3 do {
    g      [mu,nu] : g1      [mu+1, nu+1],
    gContr[mu,nu] : gContr1[mu+1, nu+1]
} }$
```

```
(%i7) /* computation of Christoffel symbols Gamma^sigma_mu_nu */
for sigma:0 thru 3 do {
for mu:0 thru 3 do {
for nu:0 thru 3 do {
    Gamma[sigma,mu,nu] :
    /* rho sum by function call: */
    sum(
        1/2 * gContr[sigma,rho] * (
            diff(g[nu,rho],x[mu]) +
            diff(g[rho,mu],x[nu]) -
            diff(g[mu,nu],x[rho])),
        rho, 0, 3),
    /* evaluate differentiation dy/dr */
    Gamma[sigma,mu,nu] : ev(Gamma[sigma,mu,nu],diff)
} } }$
```

```
(%i8) /* display Gamma's being different from zero */
for i:0 thru 3 do {
for j:0 thru 3 do {
for k:0 thru 3 do {
    if Gamma[i,j,k] # 0 then {
        display(Gamma[i,j,k])
    } } } }$
```

$$\Gamma_{0,1,1} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh^{\frac{1}{3}}\left(\frac{3t}{a} - 1\right)}$$

$$\Gamma_{0,2,2} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3}}$$

$$\Gamma_{0,3,3} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3}}$$

$$\Gamma_{1,0,1} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3} \cosh\left(\frac{3t-a}{a}\right)^{2/3}}$$

$$\Gamma_{1,1,0} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3} \cosh\left(\frac{3t-a}{a}\right)^{2/3}}$$

$$\Gamma_{2,0,2} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3} \cosh\left(\frac{3t-a}{a}\right)^{2/3}}$$

$$\Gamma_{2,2,0} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3} \cosh\left(\frac{3t-a}{a}\right)^{2/3}}$$

$$\Gamma_{3,0,3} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3} \cosh\left(\frac{3t-a}{a}\right)^{2/3}}$$

$$\Gamma_{3,3,0} = \frac{\sinh\left(\frac{3t}{a} - 1\right)}{a \cosh\left(\frac{3t}{a} - 1\right)^{1/3} \cosh\left(\frac{3t-a}{a}\right)^{2/3}}$$

```
(%i9) /* compute Riemann tensor elements */
for rho:0 thru 3 do {
  for sigma:0 thru 3 do {
    for mu:0 thru 3 do {
      for nu:0 thru 3 do {
        R[rho,sigma,mu,nu] :
        diff(Gamma[rho,nu,sigma],x[mu]) -
        diff(Gamma[rho,mu,sigma],x[nu]) +
        /* lambda sums by function call: */
        sum(
          Gamma[rho,mu,lambda] * Gamma[lambda,nu,sigma] -
          Gamma[rho,nu,lambda] * Gamma[lambda,mu,sigma],
          lambda, 0, 3)
      }}}} $
```

```
(%i10) /* display R's being different from zero */
for i:0 thru 3 do {
for j:0 thru 3 do {
for k:0 thru 3 do {
for l:0 thru 3 do {
R[i,j,k,l] : /*ratsimp*/(factor(R[i,j,k,l])),
if R[i,j,k,l] # 0 then display(R[i,j,k,l])
}}}}}$
```

$$R_{0,1,0,1} = -\frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{4/3}}$$

$$R_{0,1,1,0} = \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{4/3}}$$

$$R_{0,2,0,2} = -\frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{4/3}}$$

$$R_{0,2,2,0} = \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{4/3}}$$

$$R_{0,3,0,3} = -\frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{4/3}}$$

$$R_{0,3,3,0} = \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{4/3}}$$

$$R_{1,0,0,1} = -\frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

$$R_{1,0,1,0} = \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

$$R_{1,2,1,2} = \frac{\sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{4/3}}$$

$$R_{1,2,2,1} = -\frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{1,3,1,3} = \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{1,3,3,1} = -\frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{2,0,0,2} = -\frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

$$R_{2,0,2,0} = \frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

$$R_{2,1,1,2} = -\frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{2,1,2,1} = \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{2,3,2,3} = \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{2,3,3,2} = -\frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{3,0,0,3} = -\frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

$$R_{3,0,3,0} = \frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

$$R_{3,1,1,3} = -\frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{3,1,3,1} = \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{3,2,2,3} = -\frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

$$R_{3,2,3,2} = \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{4/3}}$$

```
(%i11) /* Ricci tensor Ric[mu,nu] */
for mu:0 thru 3 do {
for nu:0 thru 3 do {
    Ric[mu,nu]: sum(R[lambda,mu,lambda,nu], lambda, 0, 3)
}}$
```

```
(%i12) /* display Ric's being different from zero */
```

```
for i:0 thru 3 do {
for j:0 thru 3 do {
    Ric[i,j] : /*ratsimp*/(factor(Ric[i,j])),
    if Ric[i,j] # 0 then display(Ric[i,j])
}}$
```

$$Ric_{0,0} = \frac{3 \left(2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2\right)}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

$$Ric_{1,1} = \frac{3 \cosh\left(\frac{3t-a}{a}\right)^{2/3}}{a^2}$$

$$Ric_{2,2} = \frac{3 \cosh\left(\frac{3t-a}{a}\right)^{2/3}}{a^2}$$

$$Ric_{3,3} = \frac{3 \cosh\left(\frac{3t-a}{a}\right)^{2/3}}{a^2}$$

```
(%i13) /* Ricci Scalar */
RicSc: sum(gContr[0,lambda]*Ric[lambda,0], lambda, 0, 3)
      + sum(gContr[1,lambda]*Ric[lambda,1], lambda, 0, 3)
      + sum(gContr[2,lambda]*Ric[lambda,2], lambda, 0, 3)
      + sum(gContr[3,lambda]*Ric[lambda,3], lambda, 0, 3)
;
(%o13) 
$$\frac{9}{a^2} - \frac{3 \left( 2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2 \right)}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

(%i14) ratsimp(RicSc);
(%o14) 
$$-\frac{6 \sinh\left(\frac{3t-a}{a}\right)^2 - 18 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

(%i15)
/* Test for R^q */
for mu: 0 thru 3 do (
for sigma:0 thru 3 do (
for nu: 0 thru 3 do (
for rho: 0 thru 3 do (
R_q: R[mu,sigma,nu,rho] + R[mu,rho,sigma,nu] + R[mu,nu,rho,sigma],
if R_q # 0 then (
  display("=====Einstein equation R^q=0 not fulfilled! "),
  display(mu,sigma,nu,rho),
  display(R_q)
)
))));;
(%o15) done

(%i16) /* Raising of indices,
contravarinat metric el. is g^x^x(contr.) = 1/g_x_x(cov.) */
/*print("Riemann elements R^0_1^0^1, R^0_2^0^2, R^0_3^0^3:"*/;

R0101: f(0,1);
R0202: f(0,2);
R0303: f(0,3);

(%o16) 
$$\frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

(%o17) 
$$\frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^2}$$

```

$$(\%o18) \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

(%i19) R0101: factor(R0101);
R0202: factor(R0202);
R0303: factor(R0303);

$$(\%o19) \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

$$(\%o20) \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

$$(\%o21) \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

(%i22) R1010: f(1,0);
R1212: f(1,2);
R1313: f(1,3);

$$(\%o22) - \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

$$(\%o23) \frac{\sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

$$(\%o24) \frac{\sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

(%i25) R1010: factor(R1010);
R1212: factor(R1212);
R1313: factor(R1313);

$$(\%o25) - \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

$$(\%o26) \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

$$(\%o27) \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

(%i28) R2020: f(2,0);
R2121: f(2,1);
R2323: f(2,3);

$$(\%o28) - \frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

$$(\%o29) \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

$$(\%o30) \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

(%i31) R2020: factor(R2020);
R2121: factor(R2121);
R2323: factor(R2323);

$$(\%o31) - \frac{2 \sinh\left(\frac{3t-a}{a}\right)^2 - 3 \cosh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

$$(\%o32) \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

$$(\%o33) \frac{\sinh\left(\frac{3t-a}{a}\right)^2}{a^2 \cosh\left(\frac{3t-a}{a}\right)^{8/3}}$$

(%i34) R3030: f(3,0);
R3131: f(3,1);
R3232: f(3,2);

$$(\%o34) - \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

$$(\%o35) \frac{\sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

$$(\%o36) \frac{\sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

(%i37) `R3030: factor(R3030);
R3131: factor(R3131);
R3232: factor(R3232);`

$$(\%o37) - \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

$$(\%o38) \frac{\sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

$$(\%o39) \frac{\sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

(%i40) `/* Coulomb law */
DivE : R0101 + R0202 + R0303;`

$$(\%o40) \frac{3 \left(2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2\right)}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

(%i41) `ratsimp(DivE);`

$$(\%o41) \frac{6 \sinh\left(\frac{3 t - a}{a}\right)^2 - 9 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^2}$$

(%i42) `/* J[r] */
Jr : - (R1010 + R1212 + R1313);`

(%o42)
$$\frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}} - \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

(%i43) ratsimp(Jr);

(%o43)
$$-\frac{3}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{2/3}}$$

(%i44) /* J[theta] */
Jtheta : -(R2020 + R2121 + R2323);

(%o44)
$$\frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}} - \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

(%i45) ratsimp(Jtheta);

(%o45)
$$-\frac{3}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{2/3}}$$

(%i46) /* J[phi] */
Jphi : -(R3030 + R3131 + R3232);

(%o46)
$$\frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2 - 3 \cosh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}} - \frac{2 \sinh\left(\frac{3 t - a}{a}\right)^2}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{8/3}}$$

(%i47) ev(ratsimp(Jphi), r);

(%o47)
$$-\frac{3}{a^2 \cosh\left(\frac{3 t - a}{a}\right)^{2/3}}$$

(%i48) DivE_p: ev(at(DivE, [a=1]));

(%o48)
$$\frac{3(2 \sinh(3 t - 1)^2 - 3 \cosh(3 t - 1)^2)}{\cosh(3 t - 1)^2}$$

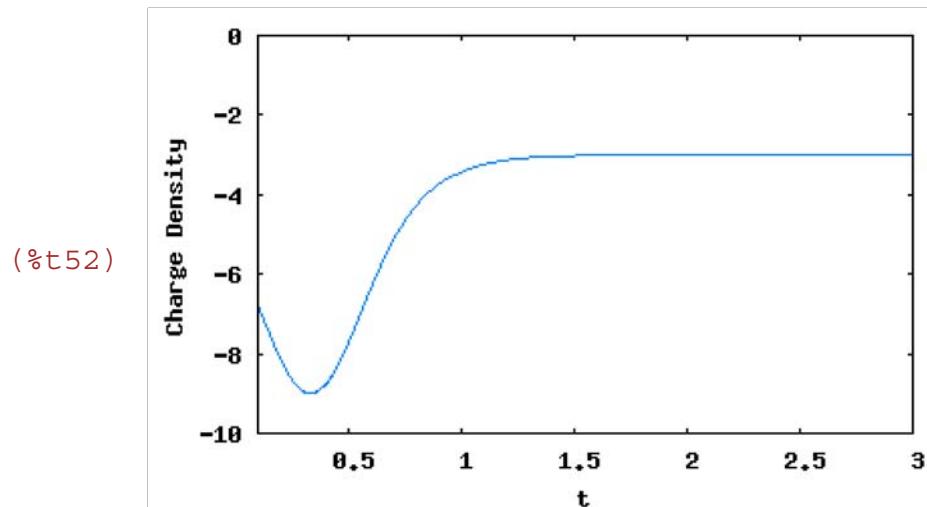
(%i49) Jr_p: ev(at(Jr, [a=1]));

(%o49)
$$\frac{2 \sinh(3 t - 1)^2 - 3 \cosh(3 t - 1)^2}{\cosh(3 t - 1)^{8/3}} - \frac{2 \sinh(3 t - 1)^2}{\cosh(3 t - 1)^{8/3}}$$

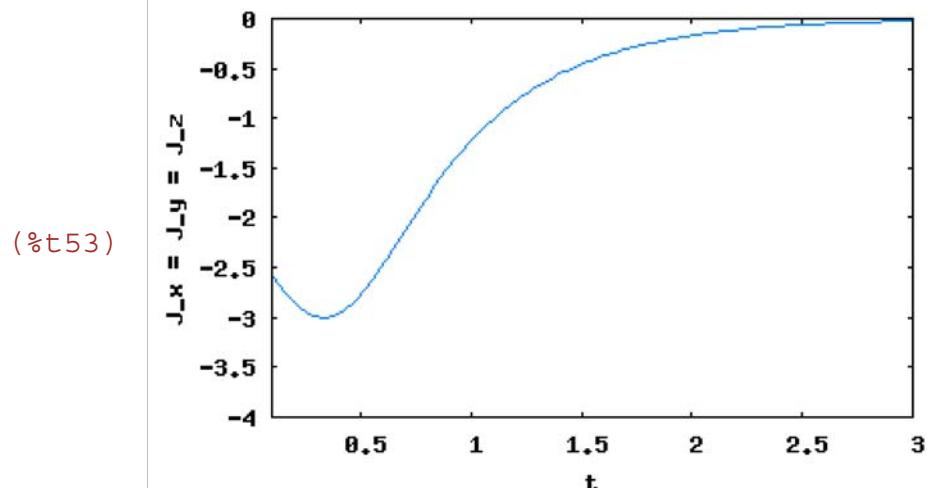
```
(%i50) Jtheta_p: ev(at(Jtheta, [a=1]));
(%o50) 
$$\frac{2 \sinh(3t-1)^2 - 3 \cosh(3t-1)^2}{\cosh(3t-1)^{8/3}} - \frac{2 \sinh(3t-1)^2}{\cosh(3t-1)^{8/3}}$$


(%i51) Jphi_p: ev(at(Jphi, [a=1]));
(%o51) 
$$\frac{2 \sinh(3t-1)^2 - 3 \cosh(3t-1)^2}{\cosh(3t-1)^{8/3}} - \frac{2 \sinh(3t-1)^2}{\cosh(3t-1)^{8/3}}$$


(%i52)
wxplot2d([DivE_p], [t,.1,3], [y,-10,0], [gnuplot_preamble, "set zeroaxis;"], [xlabel, "t"], [ylabel, "Charge Density"])$
Output file "C:/Documents and Settings/Administrator/maxout.png".
```



```
(%i53)
wxplot2d([Jr_p], [t,.1,3], [y,-4,0], [gnuplot_preamble, "set zeroaxis;"], [xlabel, "t"], [ylabel, "J_x = J_y = J_z"])$
Output file "C:/Documents and Settings/Administrator/maxout.png".
```



(%i54)